

The Cosmic Microwave Background Radiation as Viewed in the Planck Vacuum Theory

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Abstract—The invisible Planck vacuum (PV) state is a degenerate collection of Planck particle (PP) cores that fills a seven-dimensional spacetime. The degenerate nature of this PV state assures that the only motion available to the separate PP cores is a spin angular momentum and a local random PP motion. This spherical confinement of each PP core in the vacuum state leads to the cosmic-microwave-background-radiation (CMBR) spectrum seen in the free-space night sky.

The CMBR is the experimental proof for the PV theory.

Index Terms—PV State, PP Core, Planck Oscillator, CMBR.

I. INTRODUCTION

THE theoretical foundation [1] [2] [3] [4] of the PV theory rests upon the unification of the Einstein, Newton, and Coulomb superforces:

$$\frac{c^4}{G} \left(= \frac{m_* c^2}{r_*} \right) = \frac{m_*^2 G}{r_*^2} = \frac{e_*^2}{r_*^2} \rightarrow r_* m_* c = \frac{e_*^2}{c} \quad (= \hbar) \quad (1)$$

where the ratio c^4/G is the curvature superforce that appears in the Einstein field equations. G is Newton's gravitational constant, c is the speed of light, m_* and r_* are the Planck mass and length respectively [5, p.1234], and e_* is the massless bare (or coupling) charge. The fine structure constant is given by the ratio $\alpha \equiv e^2/e_*^2$, where e is the observed electronic charge magnitude. The ratio e_*^2/c to the right of the arrow is the spin coefficient for the PP, the proton, and the electron cores, where \hbar is the reduced Planck constant. The e_*^2 in (1) is the squared coupling charge, where one of the e_* s belongs to one of the PP cores ($\pm e_*$, m_*) in the PV state and the other e_* s belong to the remaining cores in that state, leading to the quantum oscillations of the PP cores [6].

The degenerate nature of the PP cores in the vacuum state insure that each of the cores ($\pm e_*$, m_*) is confined to a spherical volume of roughly $3\pi r_*^3/4$, implying that the particle motion consists of the spin and a random motion of the cores.

After the Introduction in Section I, Section II presents an important result from a previous paper [6] concerning the single PP core, and Section III calculates equations for the CMBR. Section IV presents conclusions.

II. PLANCK PARTICLE OSCILLATOR

The oscillator energy [6] of a single PP core within the PV state is ($n = 0, 1, 2, \dots$)

$$u_n = A_n \nu = \left(\frac{1}{2} + n \right) h\nu \quad (2)$$

where h is the Planck constant and $h\nu$ is a photon energy. This energy u_n is due to the quantization of the single PP energy and is derived from first principles in the reference.

III. THERMODYNAMIC OSCILLATOR

From the second term ($n h\nu$) on the right side of equation (2): $u_i = i h\nu$ ($i = 0, 1, 2, \dots$), where the thermodynamic occupation numbers for the u_i are given by the Boltzmann equations [7, p.209]

$$N_i = N_0 e^{-i h\nu/kT} \quad (3)$$

and

$$N = N_0 \sum e^{-i h\nu/kT} = \frac{N_0}{1 - e^{-h\nu/kT}} \quad (4)$$

where k is the Boltzmann constant and T is the absolute temperature.

Differentiating both sides of equation (4) with respect to $(1/kT)$ and canceling negative signs leads to the identity

$$N_0 \sum (i h\nu) e^{-i h\nu/kT} = \frac{N_0 h\nu e^{-h\nu/kT}}{(1 - e^{-h\nu/kT})^2} \quad (5)$$

where the left hand side of (5) is just the thermodynamic energy $U - U_0$. Then substituting for N_0 from (4) on the right of (5) leads to

$$U - \frac{N h\nu}{2} = \frac{N h\nu}{e^{h\nu/kT} - 1}. \quad (6)$$

For the single Planck particle oscillator, (6) leads to the equation

$$u(\nu, T) - \frac{h\nu}{2} = \frac{h\nu}{e^{h\nu/kT} - 1} \quad (7)$$

where the expression on the right refers to a blackbody process. So the PP oscillators in the PV state are effectively black-body emitters responsible for the CMBR.

In a different setting, applying the previous calculations to an astrophysical system leads to the brightness (intensity) expression [5, p.73] for the blackbody spectrum

$$B_\nu(T) = \frac{2\nu^2}{c^2} \frac{h\nu}{e^{h\nu/kT} - 1} \quad (8)$$

with the units 'energy per unit time per unit surface area per unit solid angle' in the frequency range between ν and $\nu + d\nu$. For $T = 2.725$ kelvin, (8) yields the experimental CMBR curve [5, p.1167]. In conclusion then, the calculations in Sections II and III imply that the omnipresent nature of the PV state is the source of this brightness energy density.

IV. COMMENTS AND CONCLUSIONS

The invisible PV state is a degenerate collection of PP cores that fills a seven-dimensional spacetime. The degenerate nature of this PV state assures that the only motion available to the separate PP cores is a spin angular momentum and a local random PP motion, leading to the thermodynamic energy equation

$$u(\nu, T) = \frac{h\nu}{2} + \frac{h\nu}{e^{h\nu/kT} - 1} \quad (9)$$

for each PP core in the vacuum state. This yields the CMBR spectrum [6] seen in the free-space night sky. In effect, the CMBR is the experimental proof for the PV theory.

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